

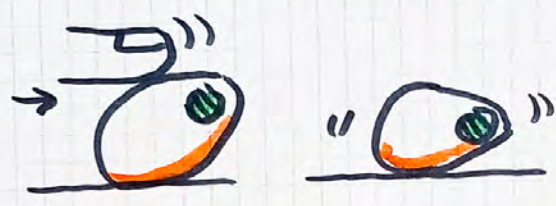
Warmup: weights + stability.

Draw a shape:



add a weight

Disturb it:



find stable point

Repeat: try different shapes + weights.



genetic programming  
evolutionary alg.



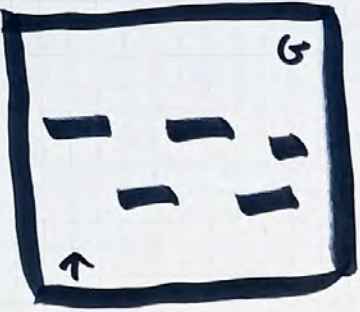
N  $\frac{1}{4}$   
 $\frac{9}{100}$

S  $\frac{1}{4}$   
 $\frac{3.3}{100}$

E  $\frac{1}{4}$   
 $\frac{3.3}{100}$

W  $\frac{1}{4}$   
 $\frac{3.3}{100}$

②



★ What are the traps for this specific game? + env.



if sensor = wall:  
 N S E W

else:

N	S	E	W
$\frac{91}{100}$	$\frac{3.3}{100}$	$\frac{3.3}{100}$	$\frac{3.3}{100}$

★ How to reweight if seeing a wall?



③

if  $s=w$ :  
N S E W  
0 0 0 1

if  $s=w$ :  
N S E W  
0  $\frac{1}{3}$   $\frac{1}{3}$   $\frac{1}{3}$

if  $s=w$  and last = X : X E  
N S E W =  $\sum$  N S E W  $\sum$   
= = = =

eg. if  $s=w$  and last = N:  
N S E W ✓  
0 1 0 0 ✓  
 $\frac{1}{100}$   $\frac{97}{100}$   $\frac{1}{100}$   $\frac{1}{100}$  ✓✓



★ what is punishable?  
reward able

★ what is punishment?

$W_N = W_N \cdot \frac{1}{2}$

re-normalize

reward learning rate

Learning od

wmm up: weight.



draw an oval



stabilize



add weight



find stable spot



string



stable or not?

Last time: weighting decisions/actions.

	N	S	E	W
gene	1/4	1/4	1/4	1/4

trait: random

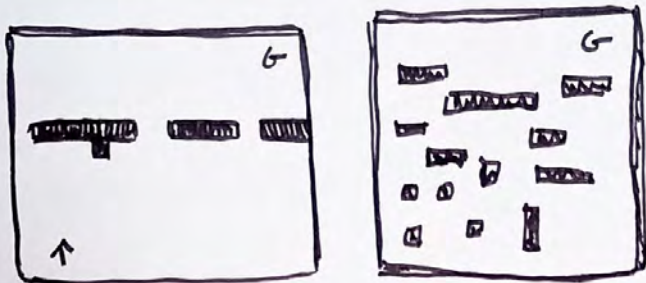
gene	91/100	83.3/100	3.3/100	33/100
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trait: mostly N

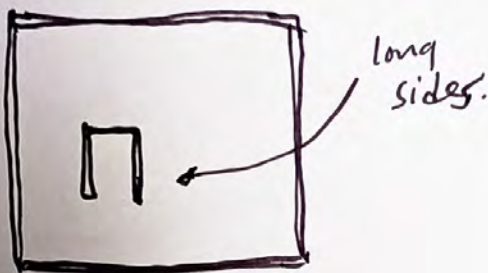


probability density function for gene.

Note how this game is "good" at solving minor mazes:

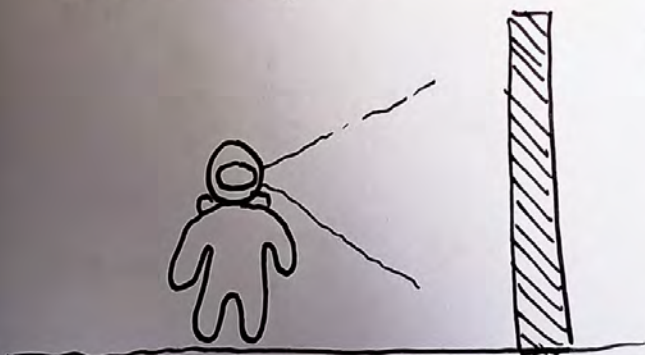


★ what traps the game?



problem: observability.

As you know, agents don't know where they are.



like being at the bottom of the ocean

... and air is running out!

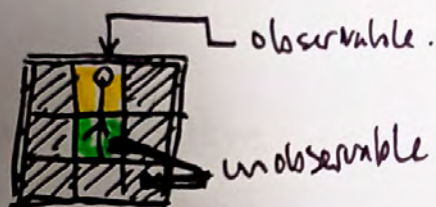
even if you had a grid... try to remember!

we're keeping probabilities b/c: (3)

1. more realistic model of noise.
2. solves problems of pure determinism (traps)

Observability of global state is very hard! Realistically:

agent doesn't know  $x, y$  or dir.  
but it does know sensor + action.  
Start with just sensor.



if sensor = 1:

N	S	E	W
0	$\frac{1}{3}$	$\frac{1}{3}$	$\frac{1}{3}$

else:

N	S	E	W
$\frac{91}{100}$	$\frac{3.3}{100}$	$\frac{3.3}{100}$	$\frac{3.3}{100}$

now



isn't a trap!

④

if: sensor = 1 and last = N:

N	S	E	W
0	1	0	0

if sensor = 1 and last = E:

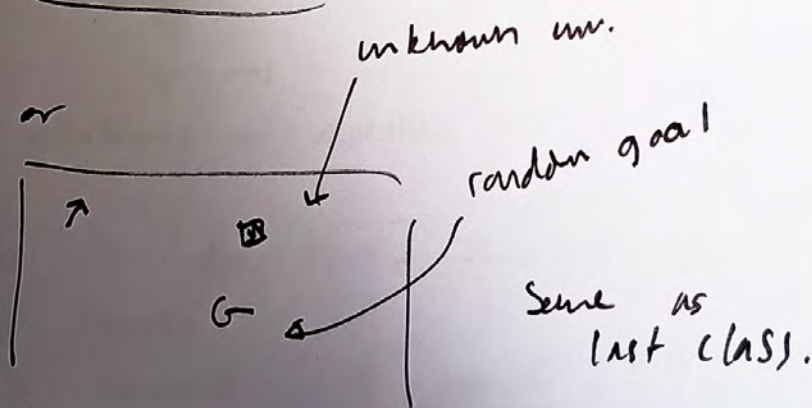
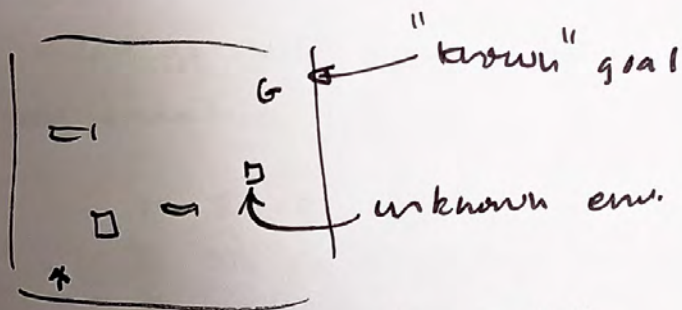
N	S	E	W
0	0	0	1

etc.

if sensor = 0 and last = N:

→ base policy.

imagine setting up exp. for sen:



But we want reward/punishment onboard! (5)  
Let's punish a policy! (gene, action...)

if last = N and  $s=1$ :

N	S	E	W
$w_N$	$w_S$	$w_E$	$w_W$

↓  
 $w_N$  - punishment (min of zero)

if punishment is severe:

N	S	E	W
0	$\frac{1}{3}$	$\frac{1}{3}$	$\frac{1}{3}$

We never go north again... problem!

if punishment is light:

N	S	E	W
<del><math>w_N</math></del>	$\sim \frac{1}{4}$	$\sim \frac{1}{4}$	$\sim \frac{1}{4}$

$\frac{1}{4} = 0.0001$

low likelihood of repeating bad actions.

\* How to solve this? Think:

1. state
2. reward.

Bayes vs. this.